Cloud Top Pressure and A Fast Radiative Transfer Model for Simulating O2 B-band

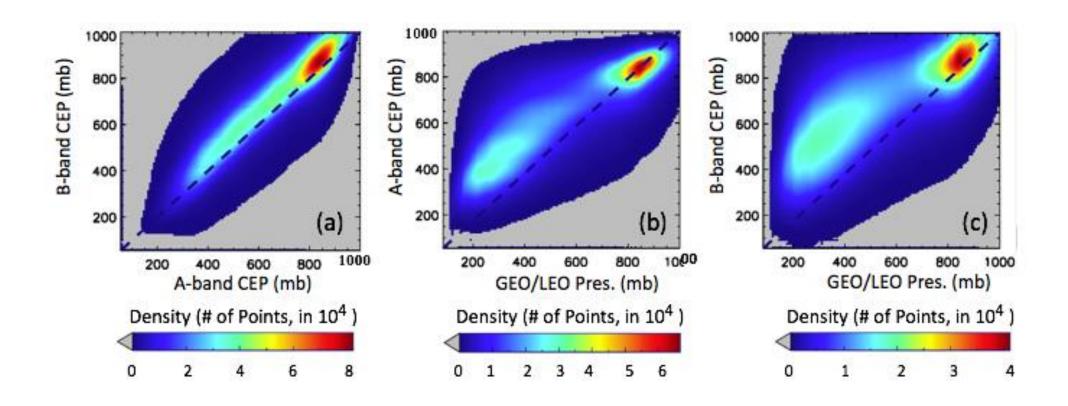
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EPIC L2 Cloud Product List

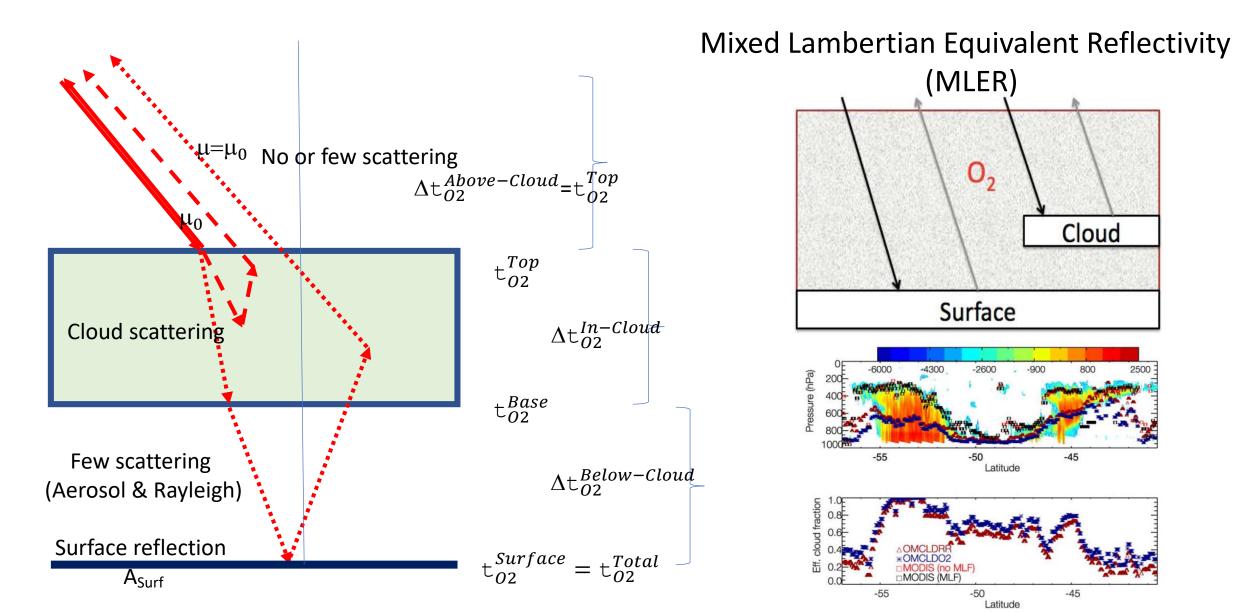
- 1) EPIC Cloud Mask
- 2) Oxygen A-band Cloud Effective Pressure
- 3) Oxygen A-band Cloud Effective Height
- 4) Oxygen B-band Cloud Effective Pressure
- 5) Oxygen B-band Cloud Effective Height
- 6) Cloud Optical Thickness assuming liquid phase
- 7) Cloud Optical Thickness assuming ice phase
- 8) Cloud Effective Temperature
- 9) Most likely cloud thermodynamic phase

EPIC vs GEO/LEO composites: Effective Cloud Pressure



Effective cloud pressure are generally higher (lower altitude) than the physical cloud top; factors contribute to the A- and B-band differences include penetration depths differences, surface albedo differences, geolocation uncertainties, cloud evolution etc.

Cloud Top Pressure vs. Cloud Effective Pressure



Radiative Transfer and Photon Path Length Distribution

Equivalence theorem: to separate absorption from scattering

$$I_{\nu}(\mu,\phi;\mu_{0},\phi_{0}) = I_{0}(\mu,\phi;\mu_{0},\phi_{0}) \int_{0}^{\infty} p(l,\mu,\phi;\mu_{0},\phi_{0}) e^{-\kappa_{\nu}l} dl$$

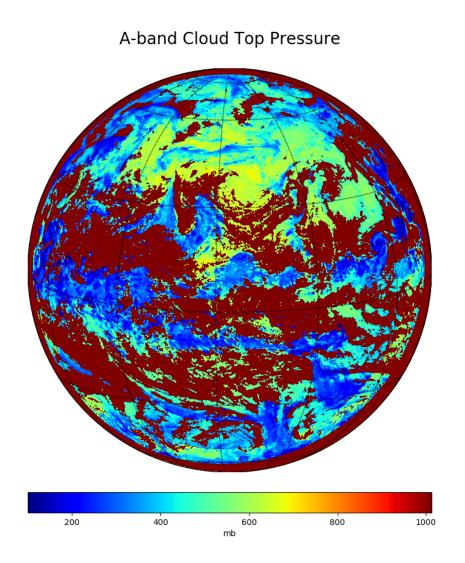
Where p(l) is photon path length distribution with path length l K_v is gaseous absorption coefficient

The analytical EPIC model:

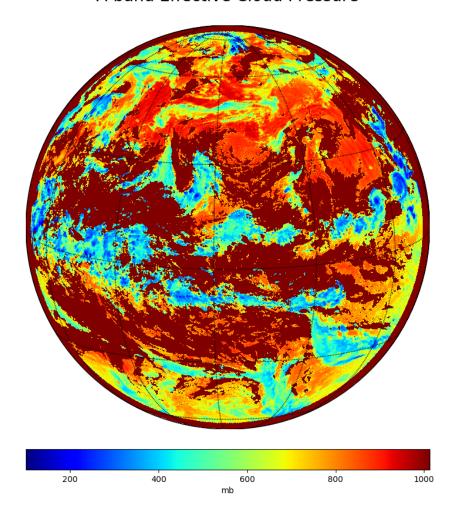
$$\begin{split} -\log(\frac{R_A}{R_f}) &= \frac{2}{\mu_0} \, \mathsf{t}_{O2}^{Top} \\ &+ (\mathsf{a}1 \, \sqrt{\mathsf{t}_{O2}^{Top}} + \mathsf{b}1(\mathsf{t}_{O2}^{Top})) (\mathsf{a}2 * \mathsf{T} + \mathsf{b}2 \, * (\mu + \mu_0) + \mathsf{c}2 * \mathsf{T} * (\mu + \mu_0) + \mathsf{d}2 \mu \ \mu_0) \\ &+ \Delta \mathsf{t}_{O2}^{In-Cloud} \mathsf{T} (\mathsf{a}3 * \mathsf{T} + \mathsf{b}3 \, (\mu + \mu_0) + \mathsf{c}3 * \mathsf{T} * (\mu + \mu_0) + \mathsf{d}3 \mu \ \mu_0) \\ &+ \Delta \mathsf{t}_{O2}^{Below-Cloud} \, \frac{A_{Surf}}{1 + (e4 * T + f4) * A_{Surf}} \, \mathsf{T} (\mathsf{a}4 * \mathsf{T} + \mathsf{b}4 \, (\mu + \mu_0) + \mathsf{c}4 * \mathsf{T} * (\mu + \mu_0) + \mathsf{d}4 \mu \ \mu_0) \end{split}$$

The coefficients are determined through nonlinear regression.

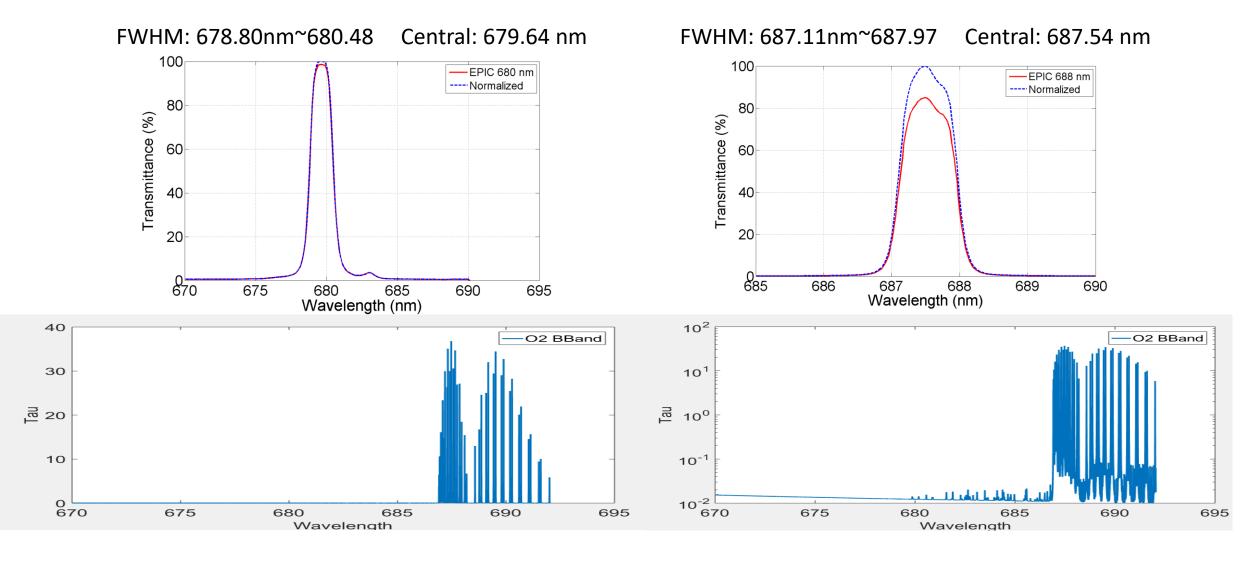
On Cloud Top Pressure: epic_1b_20160725001751_01.h5







EPIC O2 B Band Filter function



A forward RT model: accuracy vs. speed

$$R(\lambda) = \int S(k(\lambda))R(k(\lambda))d\lambda \neq R(\overline{k(\lambda)})$$

A fast radiative transfer model [Min and Harrison 2004; Duan et al, 2005]:

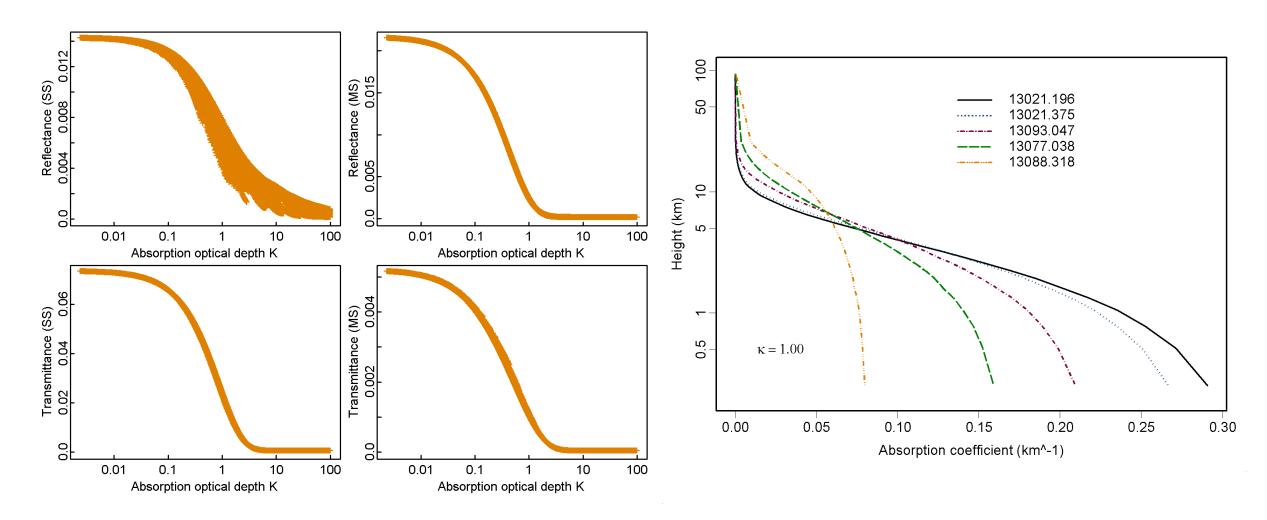
$$I = I^{ss}(\lambda) + I^{ms}(\lambda)$$

$$\approx I^{ss}[Z^{h}(p,t), P^{h}, \lambda] + I^{ms}[Z^{h}(p,t), P^{h}, \lambda]$$

$$\approx I^{ss}[Z^{h}(p,t), P^{h}, \lambda] + I^{ms}[Z^{l}(p,t), P^{l}, \lambda]$$

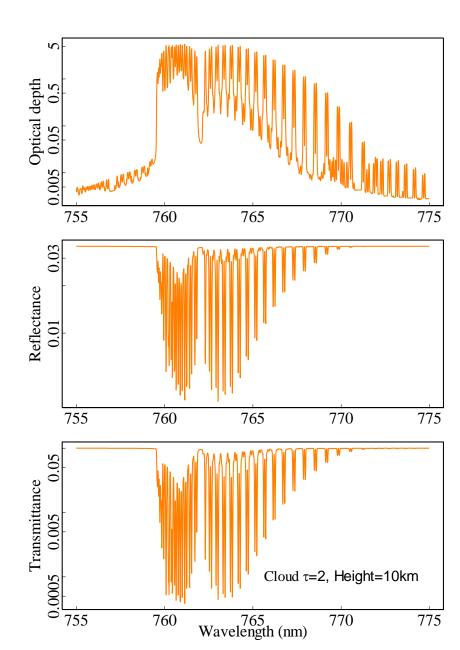
$$\approx I^{ss}[Z^{h}(p,t), P^{h}, \lambda] + I^{ms}\{F[Z^{l}(p,t), P^{l}, k(\lambda_{i})]\}$$

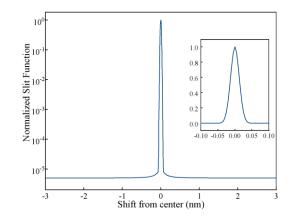
A fast RT model: k vs. double k

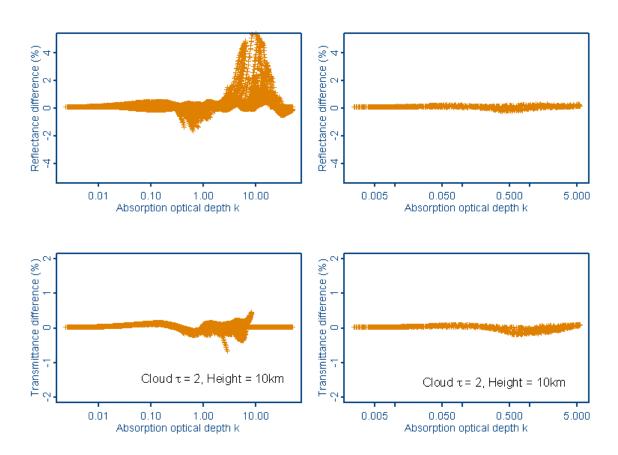


$$I^{ms}(\lambda) = I^{ms}\{F[Z^{l}(p,t), P^{l}, k(\lambda_{i})]\} = I^{ms}\{F[k'(\lambda), k(\lambda)]\} = g(k)f_{k}(k'/k)$$

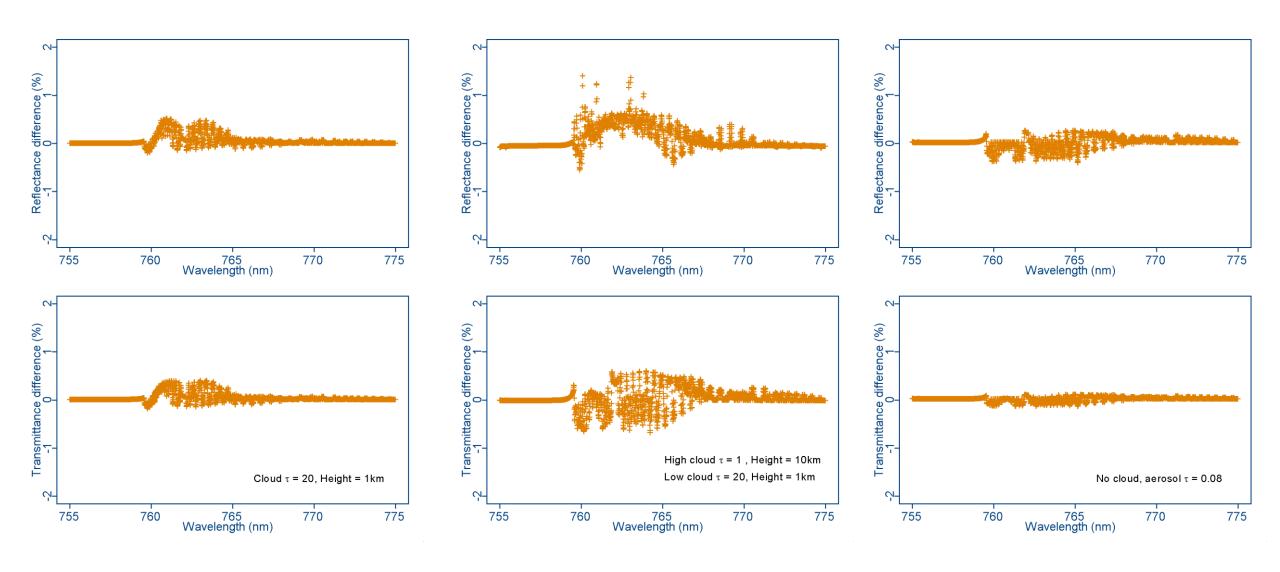
A fast RT model: results (A-band)



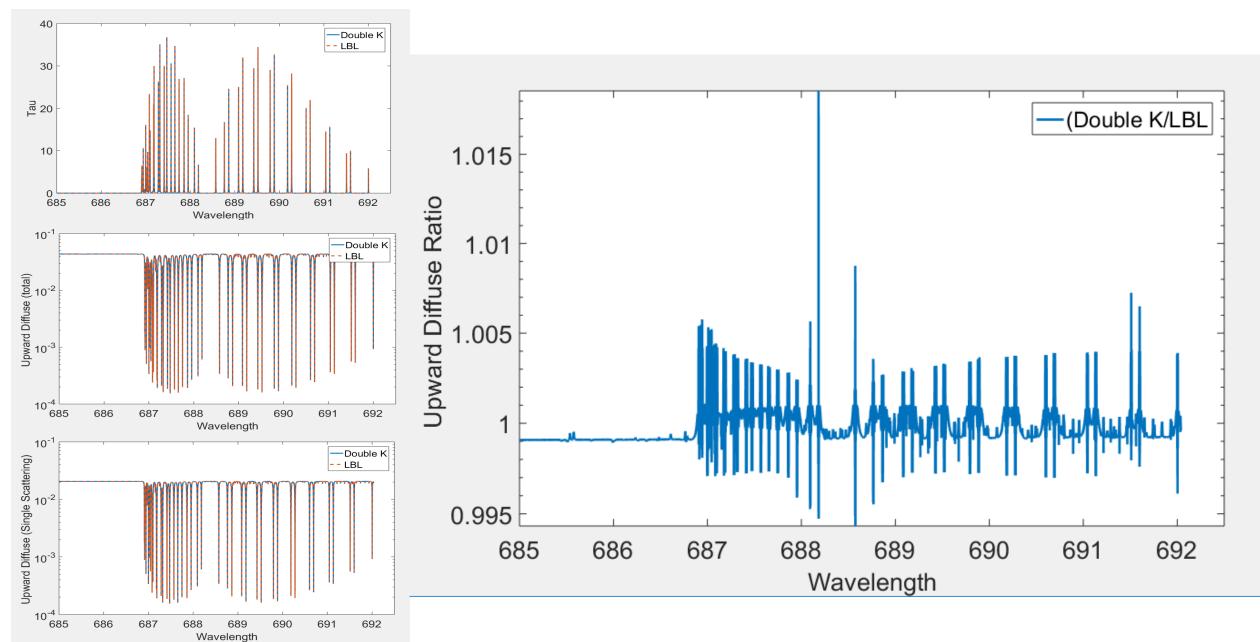




A fast RT model: results (A-band)

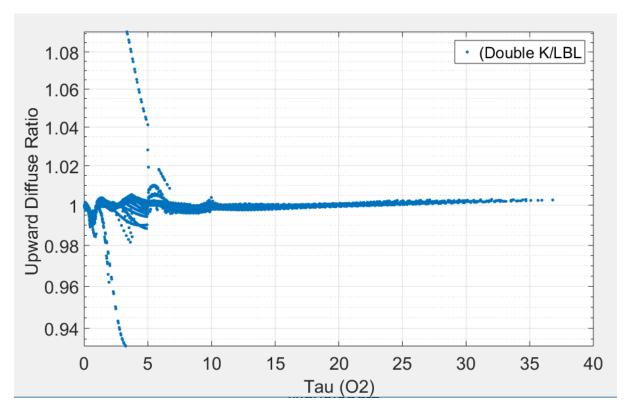


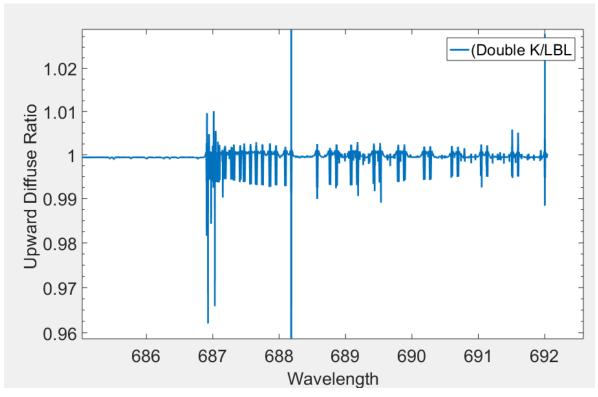
A fast RT model: results (B-band)--- clear sky



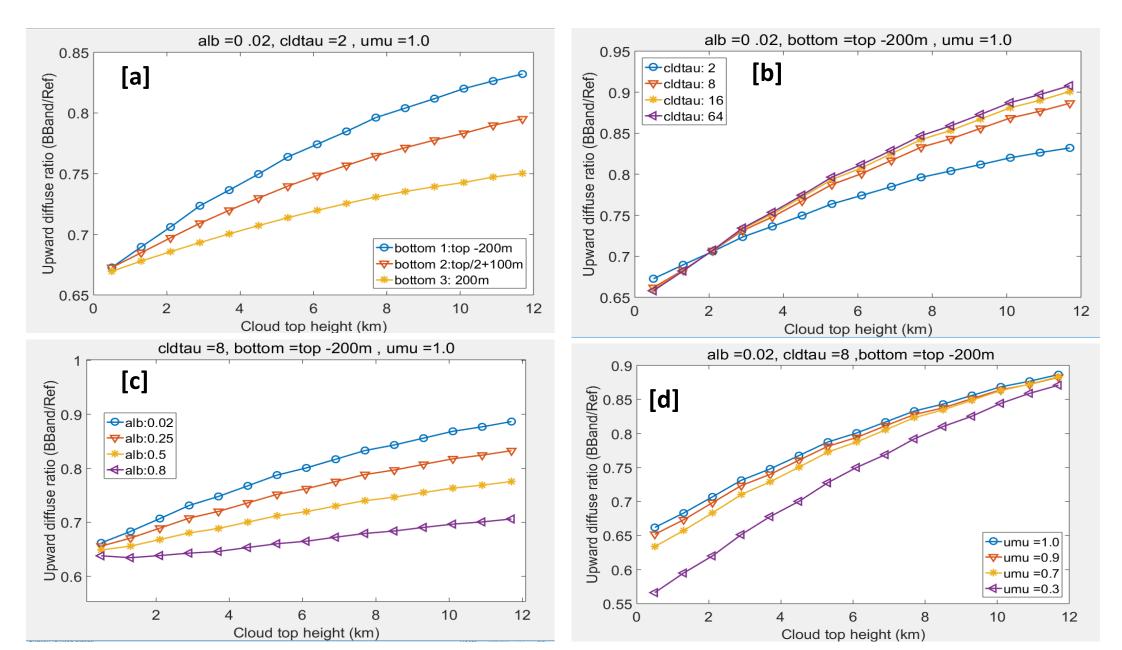
A fast RT model: results (B-band)

Cloud tau =2, 1.5^2 .9 km





A fast RT model: results (B-band)



Summary:

- A fast radiative transfer model has been developed for simulating high-resolution oxygen B-band absorption band.
- The first order scattering radiance is calculated accurately by using a higher number of layers. The multiple-scattering component is extrapolated and/or interpolated from a finite set of calculations in the space of two integrated gaseous absorption optical depths to the wavenumber grids: a double-k approach.
- The double-k approach substantially reduces the error due to the uncorrelated nature of overlapping absorption lines: an accuracy of 0.5% for most applications under all-sky conditions and 1.5% for the most challenging multiple-layer cloud systems (99% of spectrum below 0.5%).
- This results in around a hundred-fold time reduction with respect to the standard forward radiative transfer calculation. It provides a powerful tool for DSCOVR EPIC Bband observation data analysis.